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**ADDITION AND ERRATUM TO THE PAPER:
SCALAR AND GRADIENT VECTOR FIELDS OF FINSLER SPACES
AND HOLONOMY GROUPS OF NONLINEAR CONNECTIONS**

Addition (at the end of §1 in [1]):

Corollary 3. An n -dimensional Finsler space of scalar curvature K is of constant curvature if one of the following conditions holds:

$$(1) \quad n \geq 3, \quad K|_1 = 0, \quad (2) \quad K|_1 = 0.$$

Because the first condition due to Berwald is well-known and the second is a consequence of Theorem 1.

Erratum

On p.11, § 7, $RX_{1;2}$ should read $R^2X_{1;2}$.

On p.11, § 8, $(X_{2;2} + X_2)$ should read $(X_{2;2} + IX_2)$.

On p.11, § 11, $Z_{2;2} + Z_2$ should read $Z_{2;2} + IZ_2$.

On p.12, § 14, $X_{2;2} + X_2 = Y_{2;2} + Y_2$ should read
 $X_{2;2} + IX_2 = Y_{2;2} + IY_2$.

On p.12, § 13, $Z_{2;2} + Z_2$ should read $Z_{2;2} + IZ_2$.

[1] M. Matsumoto, L. Tamássy: Scalar and gradient vector fields of Finsler spaces and holonomy groups of nonlinear connections, Demonstratio Math. 13 (1980) 551-563.

